

Lecture 17

Dr. Colin Rundel

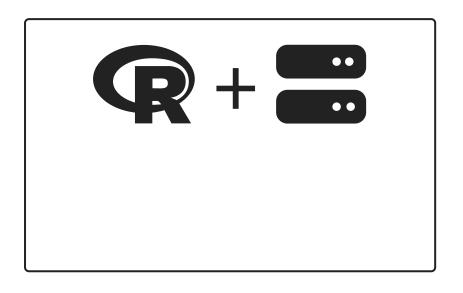


Shiny

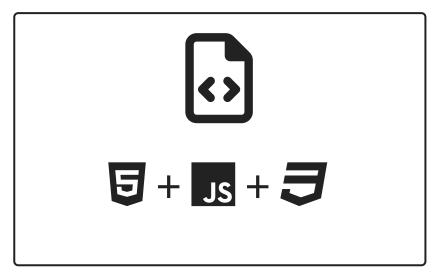
Shiny is an R package that makes it easy to build interactive web apps straight from R. You can host standalone apps on a webpage or embed them in R Markdown documents or build dashboards. You can also extend your Shiny apps with CSS themes, htmlwidgets, and JavaScript actions.

Shiny App

Server



Client / Browser



Sta 523 - Fall 2025

4

bslib

The bslib R package provides a modern UI toolkit for Shiny, R Markdown, and Quarto based on Bootstrap.

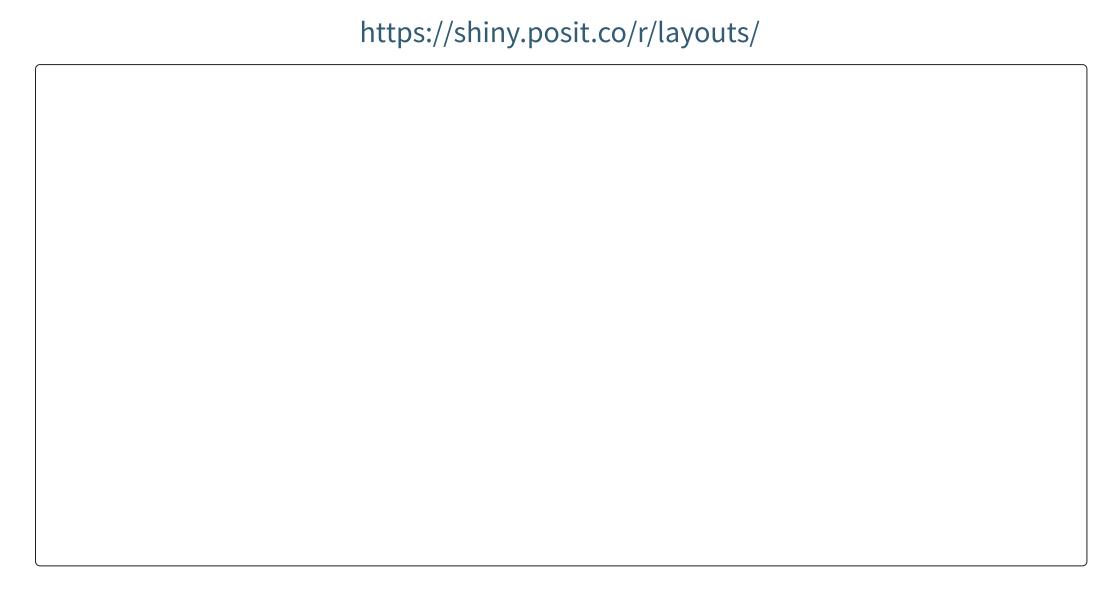
We will be talking more about this package and its features next week.

For now we will be loading it alongside Shiny and using some of its layout features today.

Anatomy of an App

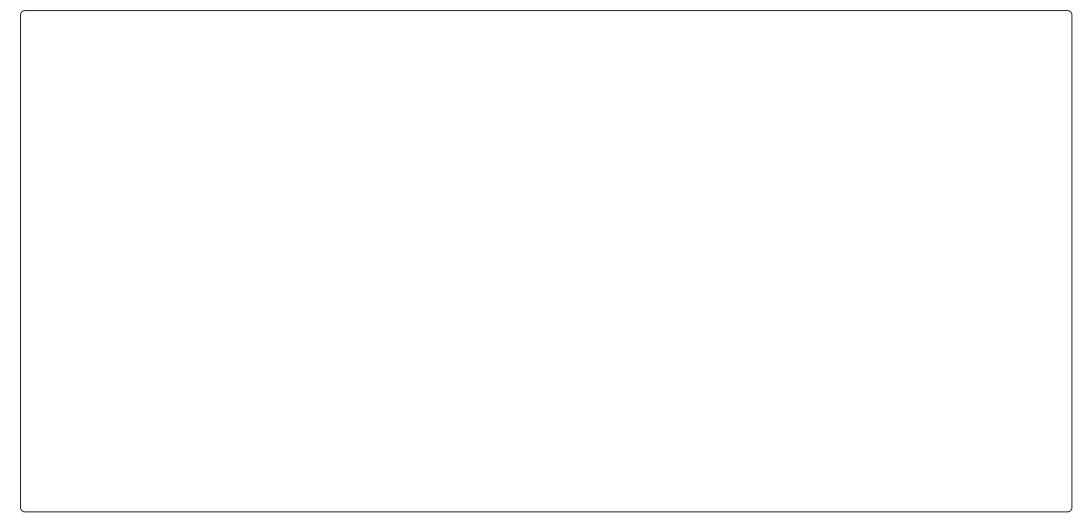
```
1 library(shiny)
2 library(bslib)
3
4 ui = list()
5
6 server = function(input, output, session) {
7
8 }
9
10 shinyApp(ui = ui, server = server)
```

Shiny Layouts

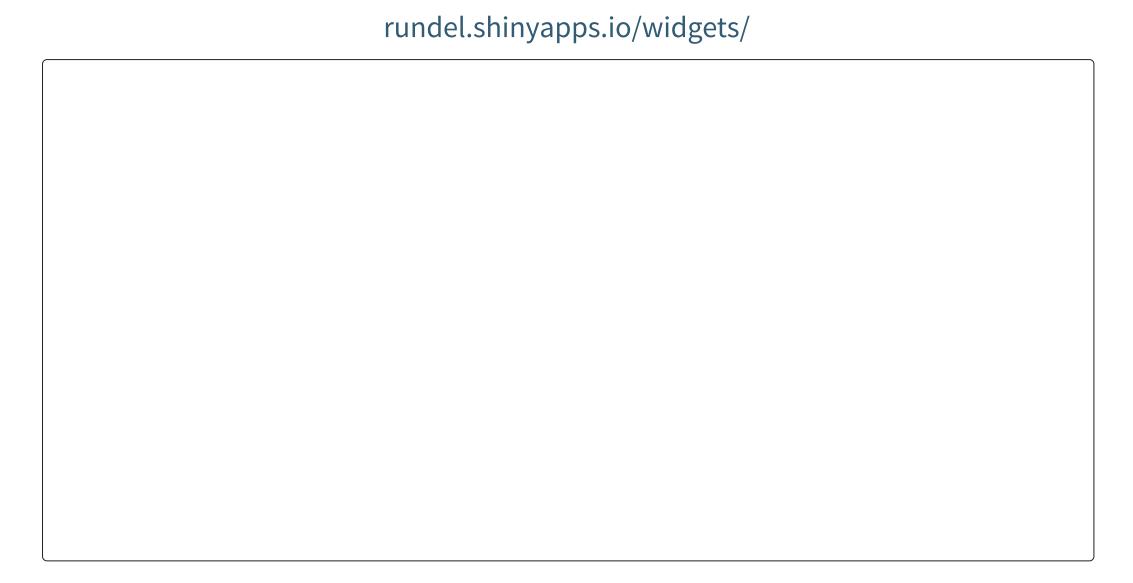


Shiny Widgets Gallery





A brief widget tour



App background

I've brought a coin with me to class and I'm claiming that it is fair (equally likely to come up heads or tails).

I flip the coin 10 times and we observe 7 heads and 3 tails, should you believe me that the coin is fair? Or more generally what should you believe about the coin's fairness now?

Model

Let y be the number of successes (heads) in n trials then,

Likelihood:

$$y|n, p \sim \text{Binom}(n, p)$$

$$f(y|n, p) = \binom{n}{y} p^{y} (1-p)^{n-y}$$

$$= \frac{n!}{y!(n-y)!} p^{y} (1-p)^{n-y}$$

Prior:

$$p \sim \text{Beta}(a, b)$$

$$\pi(p|a, b) = \frac{\Gamma(a + b)}{\Gamma(a)\Gamma(b)} p^{a-1} (1 - p)^{b-1}$$

Posterior

From the definition of Bayes' rule:

$$f(p|y,n,a,b) = \frac{f(y|n,p)}{\int_{-\infty}^{\infty} f(y|n,p) dp} \pi(p|a,b)$$

$$\propto f(y|n,p) \pi(p|a,b)$$

We then plug in the likelihood and prior and then simplify by dropping any terms not involving p,

$$f(p|y,n,a,b) \propto \left(\frac{n!}{y!(n-y)!}p^{y}(1-p)^{n-y}\right) \left(\frac{\Gamma(a+b)}{\Gamma(a)\Gamma(b)}p^{a-1}(1-p)^{b-1}\right)$$

$$\sim \left(p^{y}(1-p)^{n-y}\right) \left(p^{a-1}(1-p)^{b-1}\right)$$

$$\sim p^{y+a-1}(1-p)^{n-y+b-1}$$

Posterior distribution

Based on the form of the density we can see that the posterior of p must also be a Beta distribution with parameters,

$$p|y, n, a, b \sim \text{Beta}(y + a, n - y + b)$$